

## PUBLICATIONS

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### Books

- D. BELTIȚĂ, M. ȘABAC, *Lie Algebras of Bounded Operators*, Operator Theory: Advances and Applications, vol. 120, Birkhäuser Verlag, Basel-Boston-Berlin, 2001. viii+219 pp.
- D. BELTIȚĂ, *Smooth Homogeneous Structures in Operator Theory*, Monographs and Surveys in Pure and Applied Mathematics, vol. 137, Chapman & Hall/CRC Press, Boca Raton-London-New York-Singapore, 2006. xvi+302 pp.

### Papers

- [1] I. BELTIȚĂ, D. BELTIȚĂ, J.E. GALÉ, Transference for Banach space representations of nilpotent Lie groups. Part 1. Irreducible representations. *Proceedings of the American Mathematical Society* (to appear; DOI: 10.1090/proc/14206).
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- [3] D. BELTIȚĂ, T. GOLIŃSKI, A.B. TUMPACH, Queer Poisson brackets. *Journal of Geometry and Physics* **132** (2018), 358–362.
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## Preprints

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- (2) R. TYRRELL ROCKAFELLAR, *Analiză Convexă*, Texte Matematice Esențiale, vol. 4, Theta Publishing House, Bucharest, 2002. xviii + 370 pp. (Translation by I. Belțiță and D. Belțiță.) (The original book *Convex Analysis* was published by Princeton University Press.)